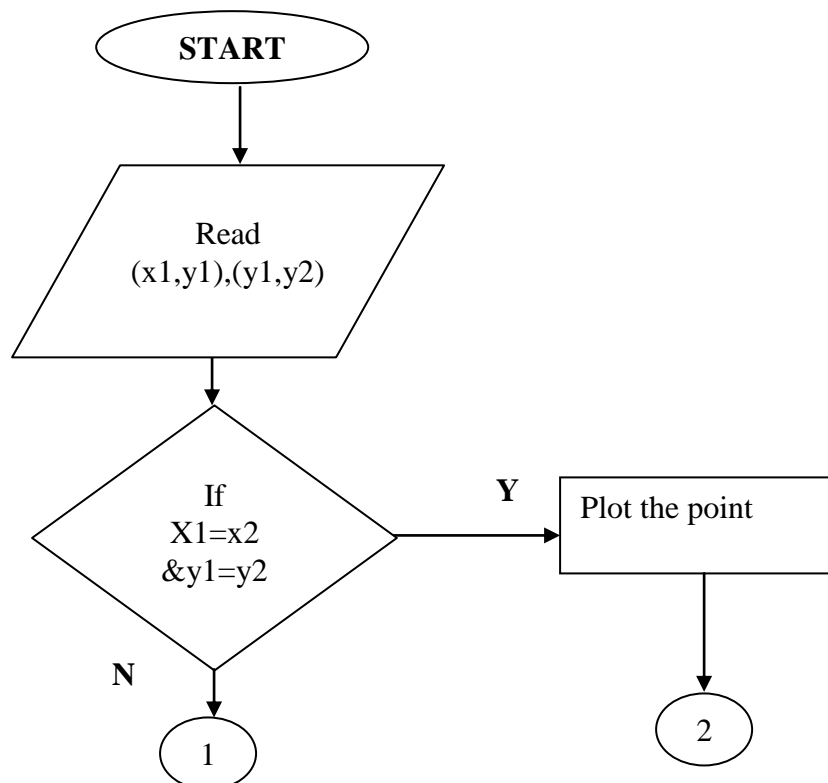
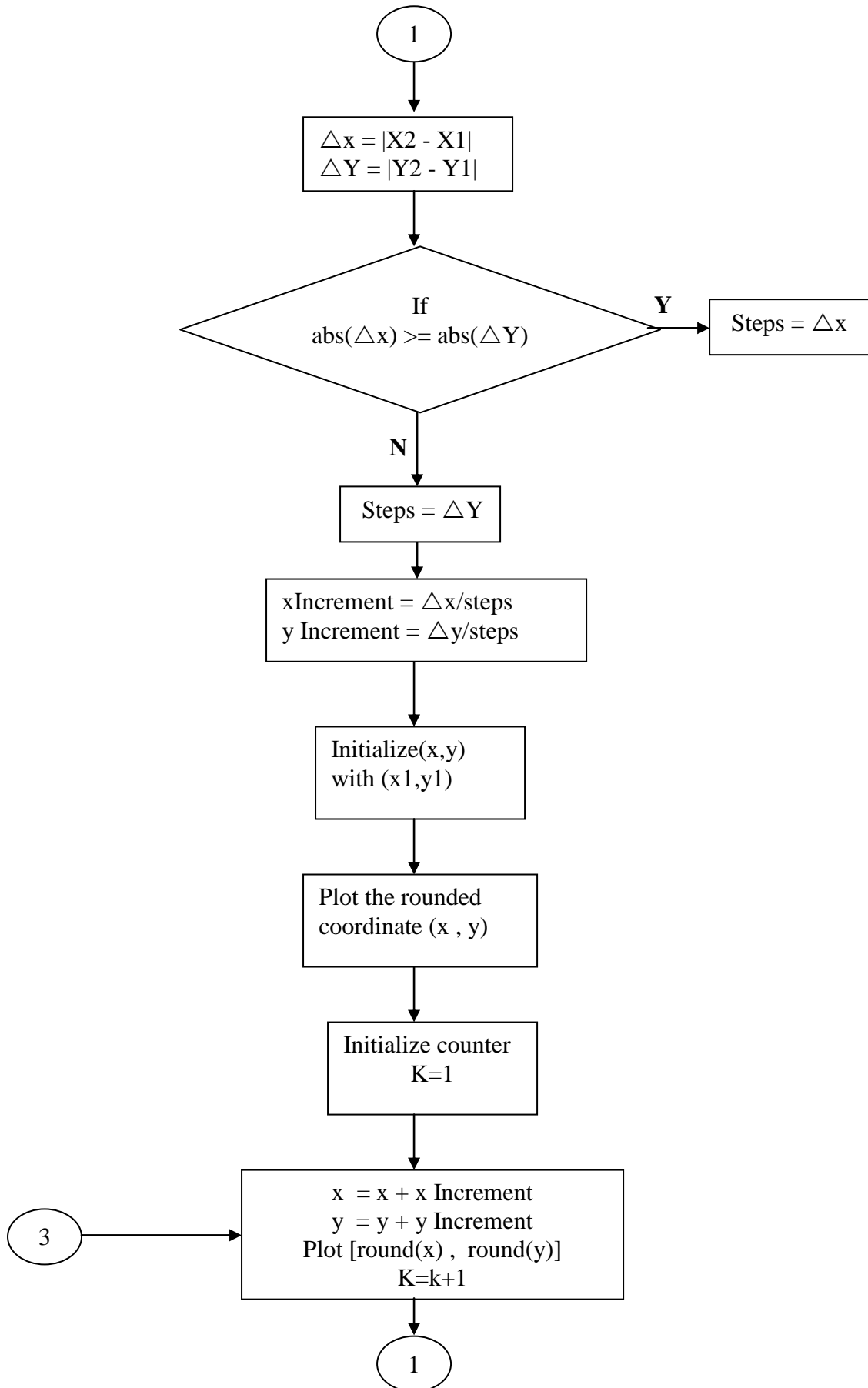
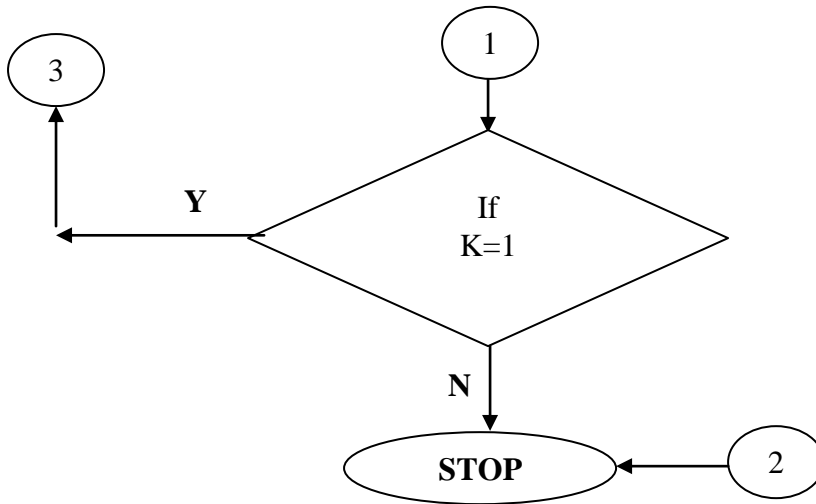


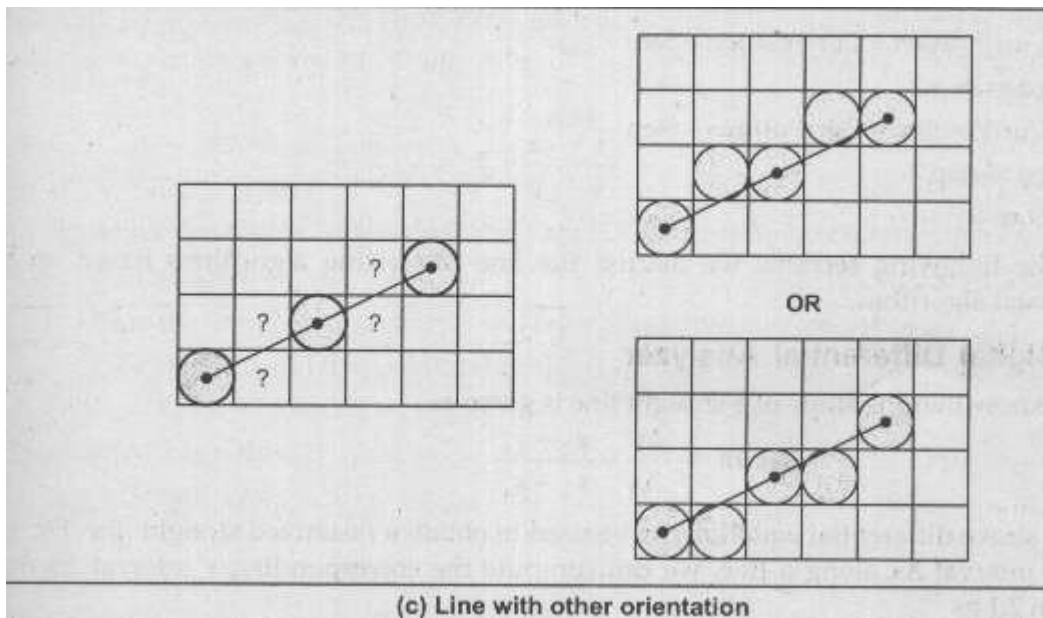
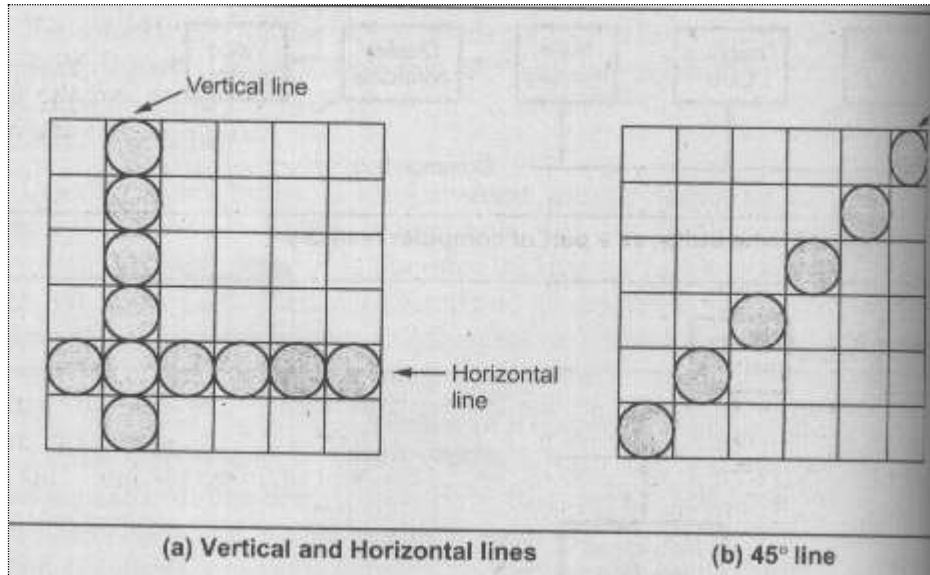
Experiment No 01OBJECTDigital Differential Analyzer Line Drawing MethodALGORITHM

1. Read the end points of a line  $(x_1, y_1)$  &  $(x_2, y_2)$ .
2. If the points are same, plot the points & exit (Enter continue with the calculation).
3.  $\Delta x = |x_2 - x_1|$  &  $\Delta y = |y_2 - y_1|$
4. if  $\text{abs}(\Delta x) \geq \text{abs}(\Delta y)$  then  
Steps =  $\Delta x$   
Else  
Steps =  $\Delta y$
5. x increment =  $\Delta x / \text{steps}$ .
6. y increment =  $\Delta y / \text{steps}$
7. initialize  $(x, y)$  with  $(x_1, y_1)$   
 $x = x_1$   
 $y = y_1$
8. plot the rounded coordinate  $(x, y)$
9. initialize counter  $K=1$
10. start the loop  
 $x = x + x \text{ increment}$   
 $y = y + y \text{ increment}$   
Plot the rounded coordinate  $(x, y)$
11. Continue the loop till the counter = steps
12. Stop.

FLOW CHART







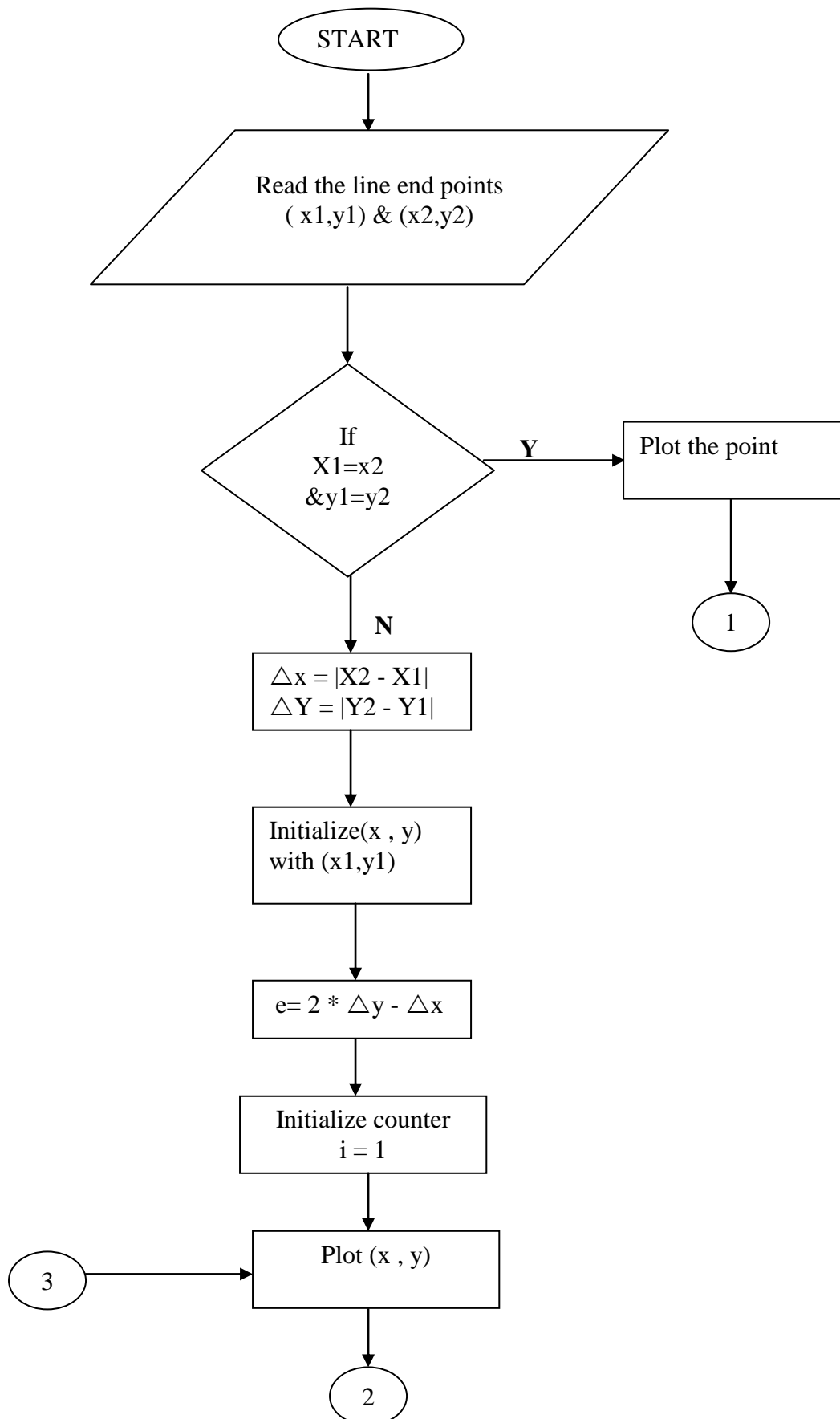
**ANSWER THE FOLLOWING QUESTIONS.**

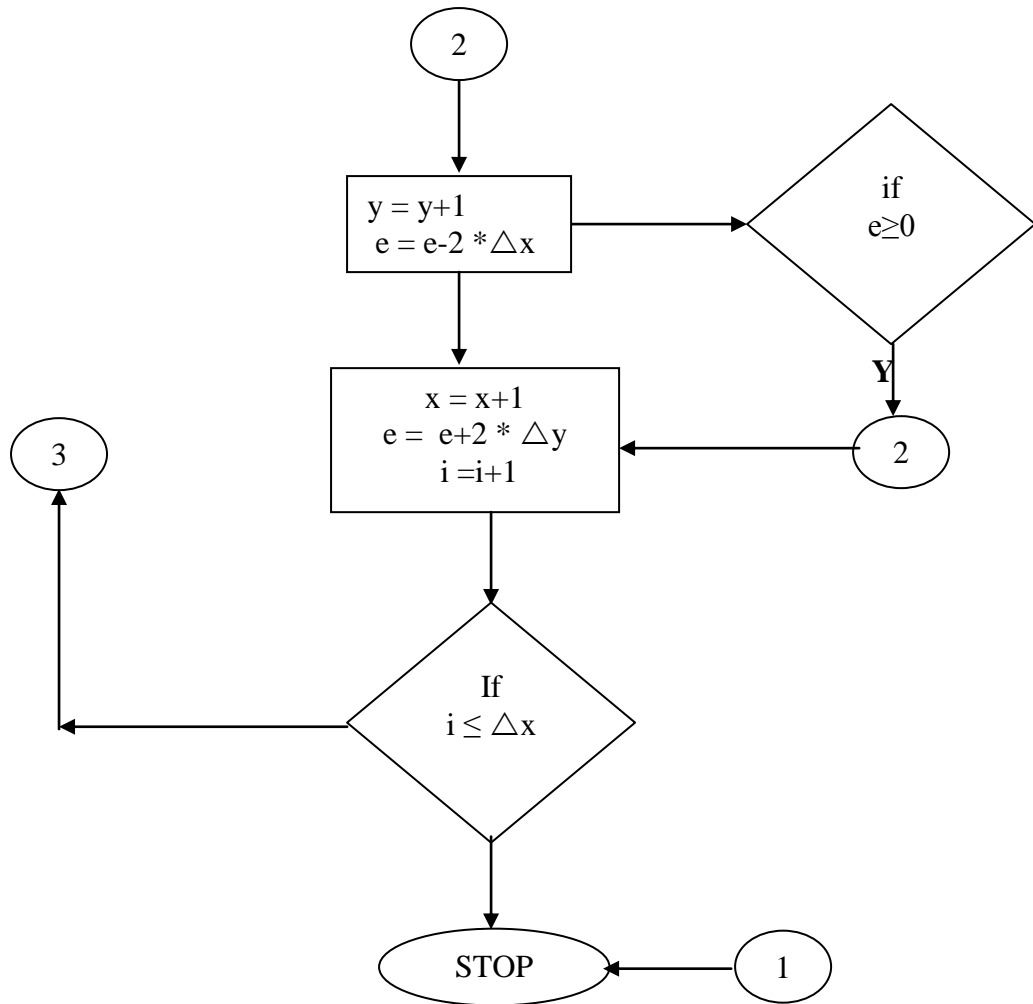
**Q.N.01** WRITE "C" CODE PROGRAM FOR D.D.A. LINE DRAWING METHOD?

**Q.NO.02** CONSIDER THE LINE FROM (0,0) TO (-6,-6) USE SIMPLE D.D.A. ALGORITHM TO RASTERIZE THIS LINE?

EXPERIMENT No. 02OBJECTBresenham's Line Drawing MethodALGORITHM

1. Read the line end points  $(x_1, y_1)$  &  $(x_2, y_2)$  such that they are not equal.
2. If the points are same, plot the points & exit (Else continue with the calculation)
3. Calculate  
 $\Delta x = |x_2 - x_1|$   
 $\Delta y = |y_2 - y_1|$
4. [initialize the starting point]  
 $x = x_1$   
 $y = y_1$
5.  $e = 2 * \Delta y - \Delta x$   
 [initialize value of decision variable or error to compensate for non zero intercepts]
6.  $i = 1$  [initialize counter]
7. plot(x , y)
8. while ( $e \geq 0$ )  
 {  
      $y = y + 1$   
      $e = e - 2 * \Delta x$   
 }  
      $x = x + 1$   
      $e = e + 2 * \Delta y$
9.  $i = i + 1$
10. if ( $i \leq \Delta x$ ) then go to step 6.
11. Stop.

**FLOW CHART**





**ANSWER THE FOLLOWING QUESTIONS.**

**Q.N.01**- WRITE "C" CODE PROGRAM FOR BRESENHAM'S LINE DRAWING METHOD?

**Q.N.02**-CONCIDER THE LINE FROM (5,5) TO (13,9).USE THE BRESENHAM'S ALGORITHM ?

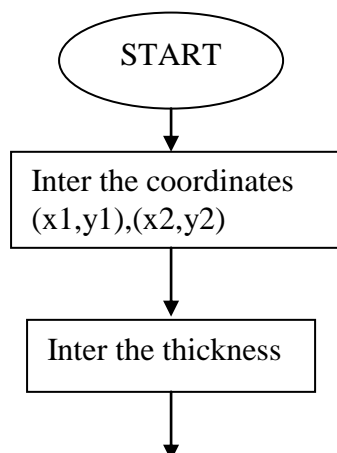
**OBJECT****EXPERIMENT NO. 03****Thick Line Drawing Method****ALGORITHM**

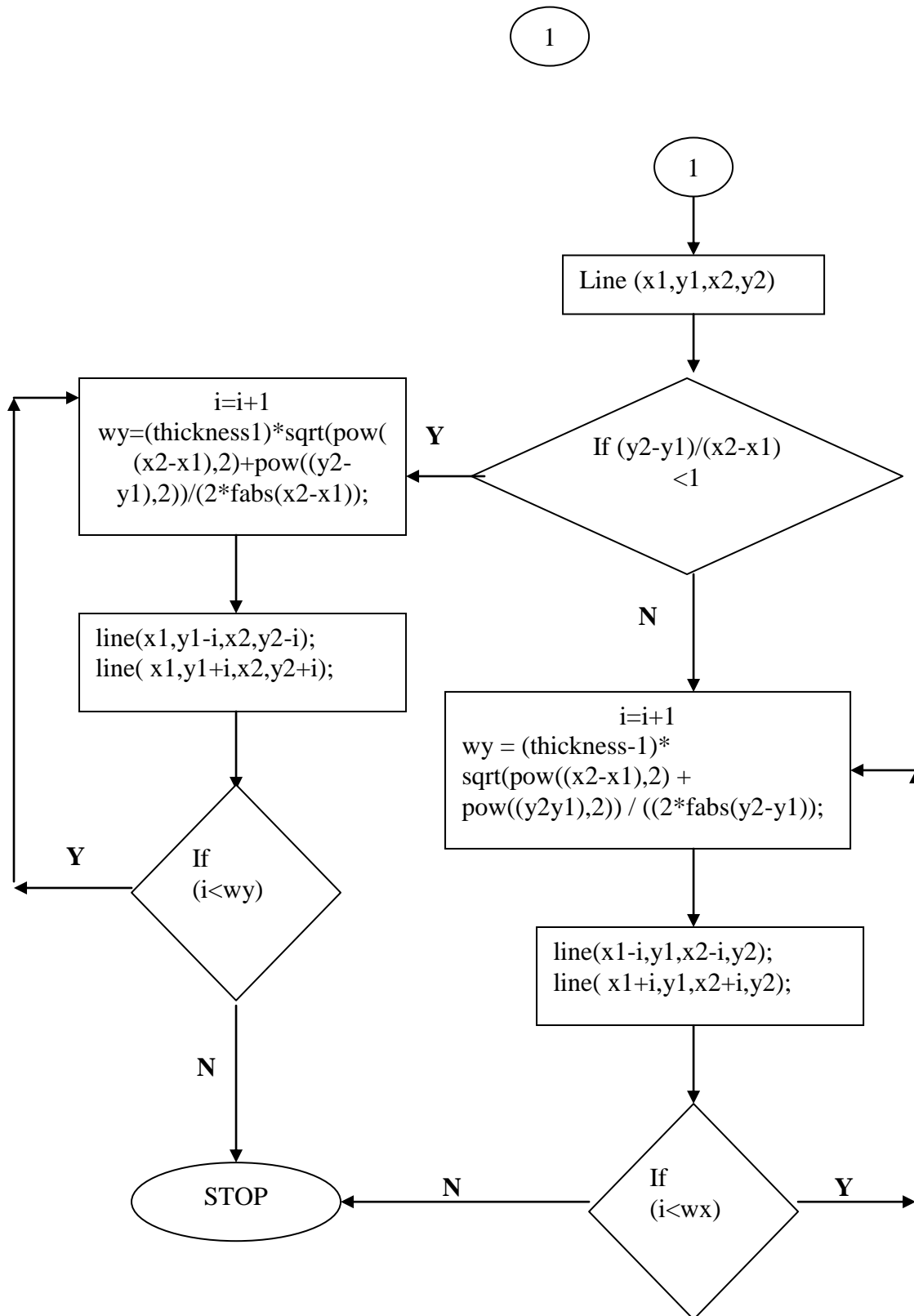
1. Inter the coordinates for the line .  
 $p1 = (x1,y1)$  ,  $p2 = (x2,y2)$
2. enter the thickness.
3. draw line  $(x1,y1,x2,y2)$ .
4. if  $((y2-y1) / (x2-x1) < 1)$ 

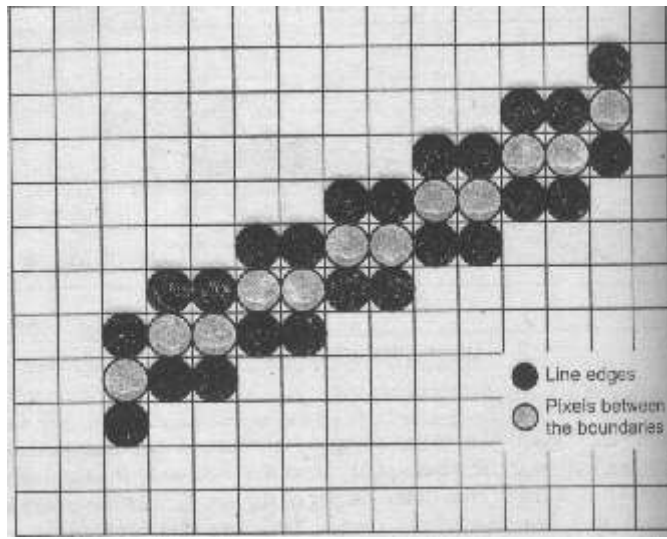
```

{
  wy = (thickness-1) * sqrt ( pow ( (x2-x1),2)+ pow ((y2-y1),2))/(2*fabs(x2-x1));
  while(i<wy)
  {
    i = i+1;
    line(x1,y1-i,x2,y2-i);
    line( x1,y1+i,x2,y2+i);
  }
}
else
{
  while(i<wx);
  {
    wx=(thickness-1)*sqrt(pow((x2-x1),2)+pow((y2-y1),2))/(2*fabs(y2-y1));
    line(x1-i,y1,x2-i,y2);
    line( x1+i,y1,x2+i,y2);
    i= i+1;
  }
}

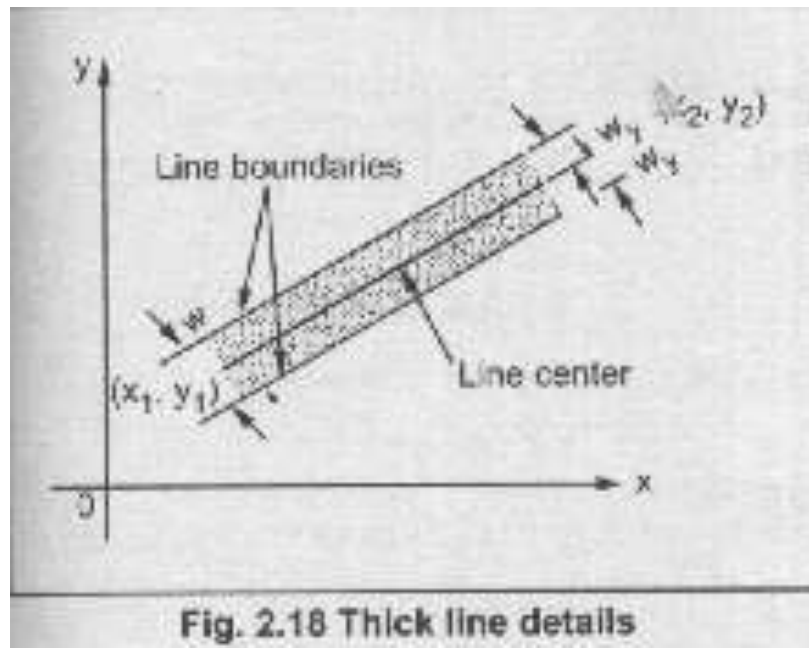
```
6. determine the thickness of line.
7. stop.

**FLOW CHART**





**THICK LINE DRAWING**



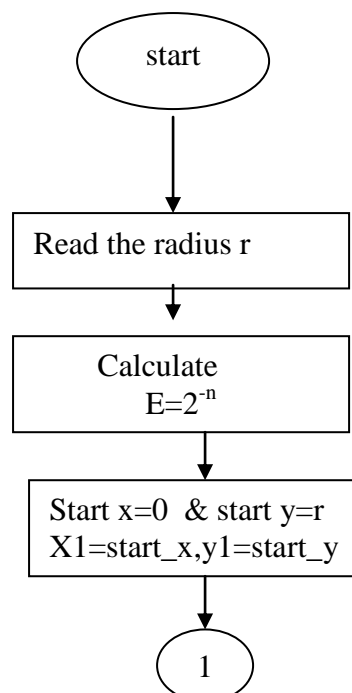
**ANSWER THE FOLLOWING QUESTIONS.**

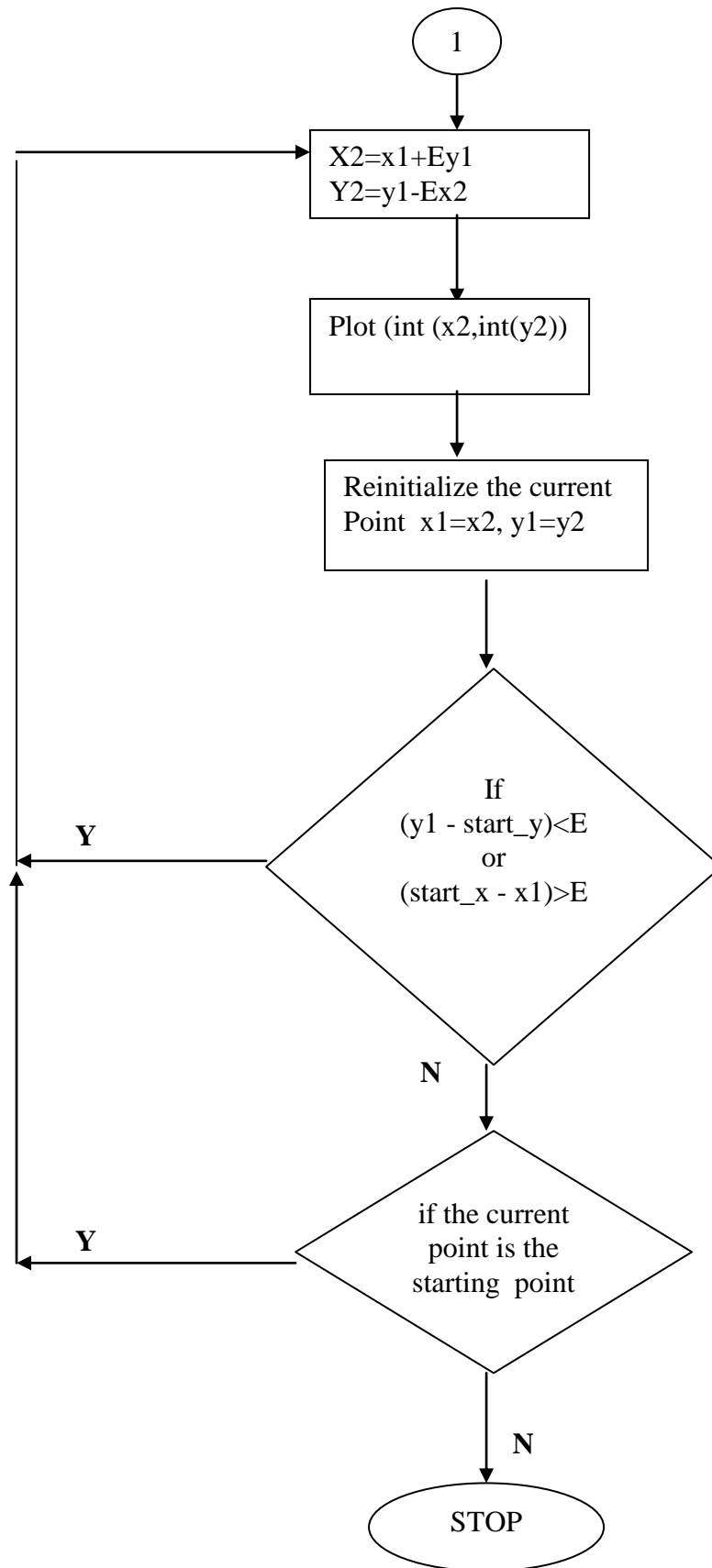
**Q.N.01-** WRITE “C” CODE PROGRAM FOR THICK LINE DRAWING METHOD?

**Q.N.02-** EXPLAINE THE CONCEPT OF BASIC LINE DRAWING?

**Experiment no 04****OBJECT:****DDA CIRCLE DRAWING METHOD****ALGORITHM**

- 1 . read the radius r ,of the circle and calculate value of E  
 $2^{n-1} \leq r < 2^n$   
 $E = 2^{-n}$
- 2 . start\_x=0  
start\_y=r
- 3 x1=start\_x  
y1=start\_y
- 4 do  
{  
x2=x1+Ey1  
y2=y1-Ex2  
[x2 represents xn+1 and x1 presents xn]  
plot (int(x2),int(y2))  
x1=x2;  
y1=y2;  
[reinitialize the current point]  
} while (y1-start\_y)<E or (start\_x-x1)>E  
[check if the current point is the starting point or not .if current point is not starting point repeat step 4; otherwise stop]
5. Stop.

**FLOW CHART**



**ANSWER THE FOLLOWING QUESTIONS.**

**Q.N.01**- WRITE "C" CODE PROGRAM FOR DDA CIRCLE DRAWING METHOD ?

**Q.N.02**- EXPLAINE THE BASIC CONCEPT OF CIRCLE DRAWING?

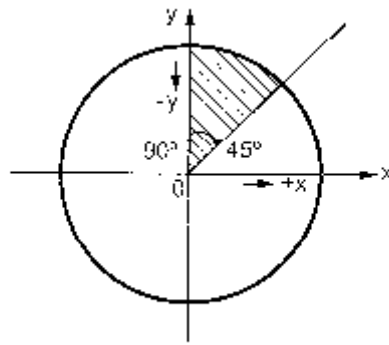


Experiment 05**OBJECT**

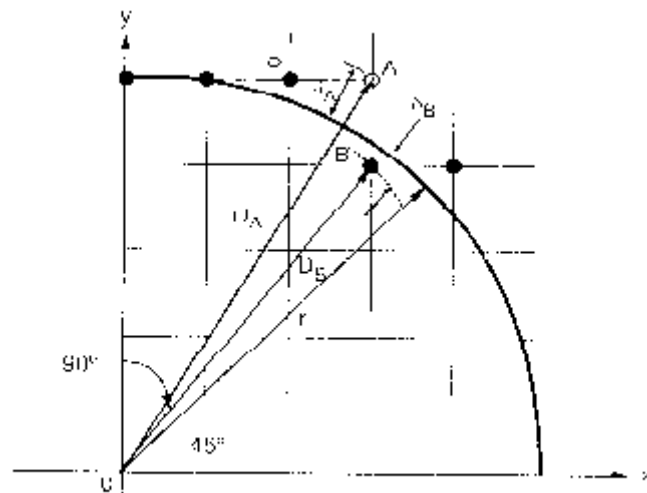
**To draw the 1/8<sup>th</sup>, of the circle of a given radius.**

**ALGORITHM**

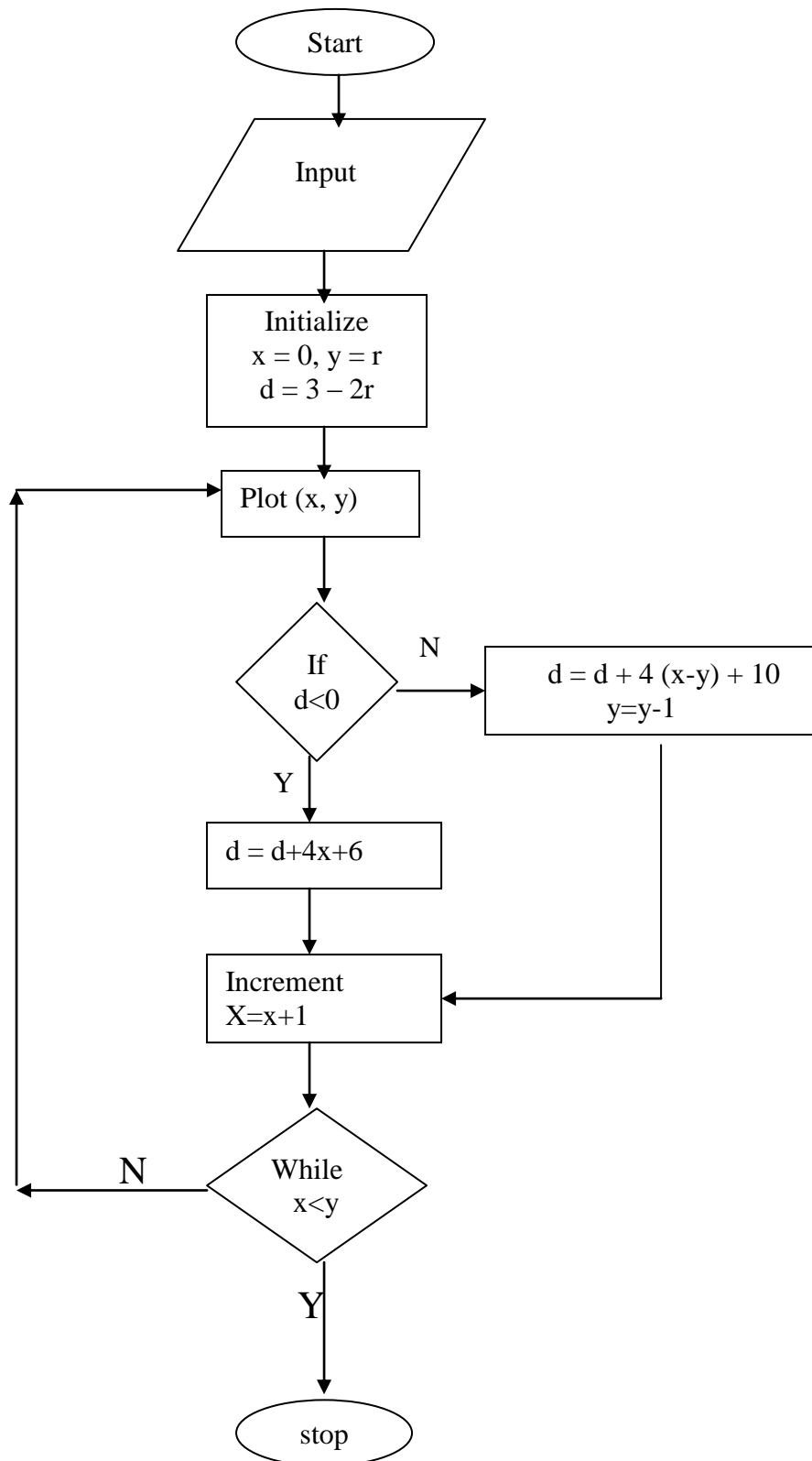
1. Read the radius of the circle.
2. Calculate initial decision variable.  
 $d = 3 - 2r$
3. Initialize start p  
 $x = 0, y = r$
4. do  
plot (x,y)  
{  
    if  $d < 0$  then  
         $d = d + 4x + 6$   
    else  
        {  
             $d = d + 4(x-y) + 10$   
             $y = y - 1$   
        }  
         $x = x + 1$   
    }  
} while( $x < y$ )
5. Plot (x, y)
6. End



**Fig. 2.22 1/8 part of circle**



**Scan conversion with Bresenham's algorithm**

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**ANSWER THE FOLLOWING QUESTIONS.**

**Q.N.01**- WRITE "C" CODE PROGRAM FOR BRESENHAM'S CIRCLE DRAWING METHOD ?

**Q.N.02**-GIVE DIFFERENT METHODS OF REPRESENTING A CIRCLE?

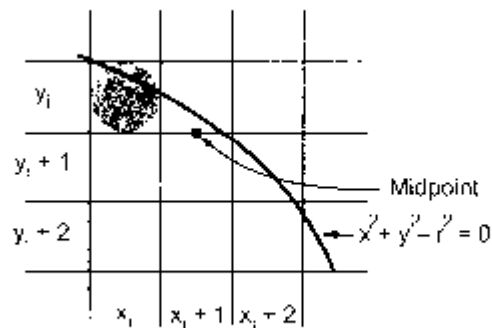
## Experiment No: 06

### OBJECT

#### Midpoint Circle Drawing Algorithm

#### ALGORITHM

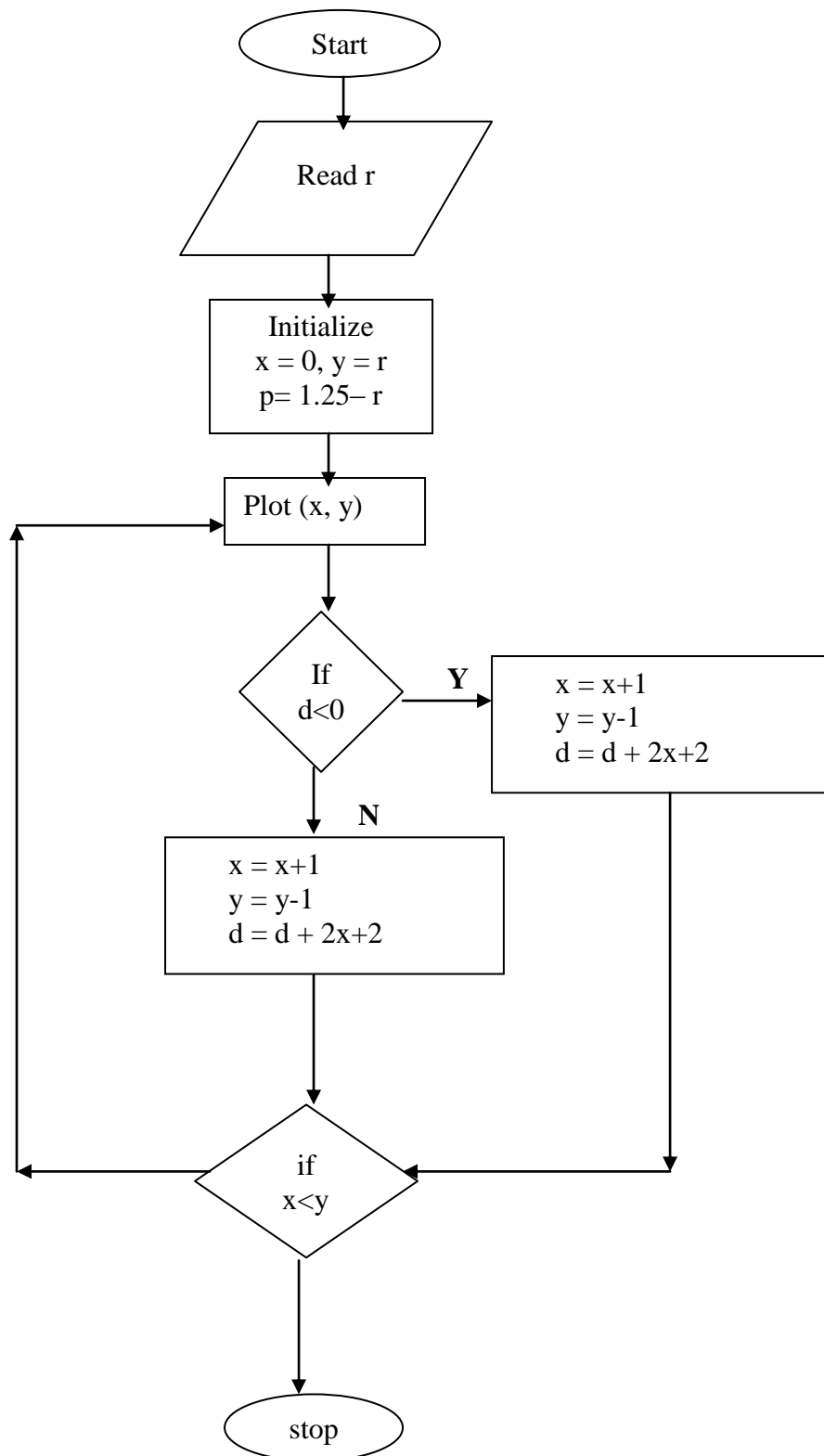
1. Read the radius r of the circle.
2. Initialize starting position as  
 $x=0$   
 $y=r$
3. Calculate initial value of decision parameter as  
 $P=1.25-r$
4.  $D_0$   
 {  
     plot(x , y)  
     if (d<0)  
     {  
          $x=x+1$   
          $y=y$   
          $d=d+2x+2$   
     }  
     else  
     {  
          $x=x+1$   
          $y=y-1$   
          $d=d+2x+2y+1$   
     }  
     }While (x<y)
5. Determine symmetry point
6. Stop




---

**Decision parameter to select correct pixel in circle generation algorithm**

---

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**ANSWER THE FOLLOWING QUESTION.**

**Q.N.01- WRITE "C" CODE PROGRAM FOR MIDPOINT CIRCLE DRAWINGMETHOD?**

**Experiment no :10****OBJECT****Mid point ellipse drawing algorithm****ALGORITHM**

1. read radii rx and ry.
2. Initialize starting point as  
 $x=0$   
 $y=ry$
3. calculate the initial value of decision parameter in region 1 as  $d1=r_y^2-r_x^2*r_y+(1/4)*r_x^2$
4. initialize dx and dy as  
 $dx=2*r_y^2*x$   
 $dy=2*r_x^2*y$
5. do  
{

plot (x , y)

if (d1<0)
{

$x=x+1$   
 $y=y$   
 $dx=dx+2*r_y^2$   
 $d1=d1+dx+r_y^2$   
 $[d1=d1+2*r_y^2*x+2*r_y^2]$

}
else
{

$x=x+1$   
 $y=y-1$   
 $dx = dx+2*r_y^2$   
 $dy = dy-2*r_x^2$   
 $d1=d1+dx-dy+r_y^2$   
 $[d1=d1+2*r_y^2*x+2*r_y^2-(2*r_x^2*y-2*r_x^2)+r_y^2]$



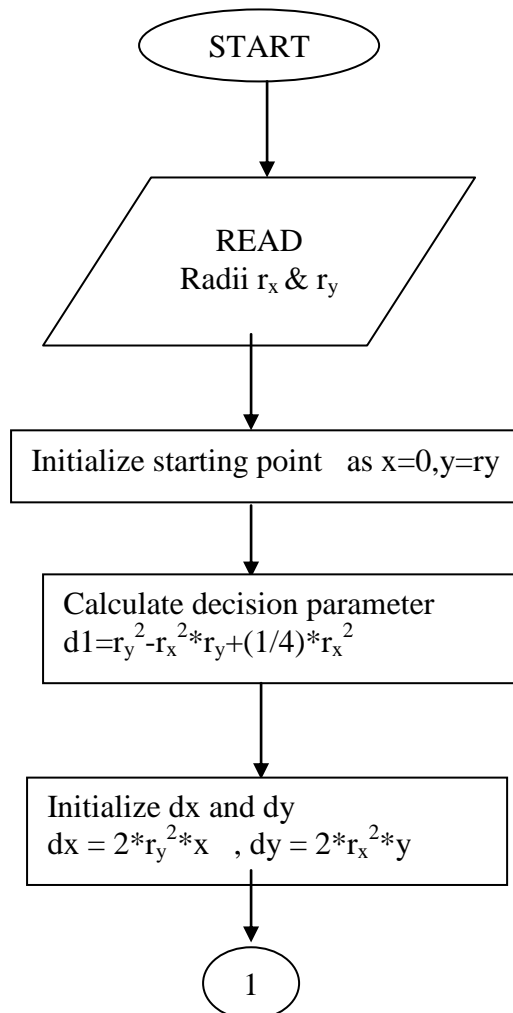
```

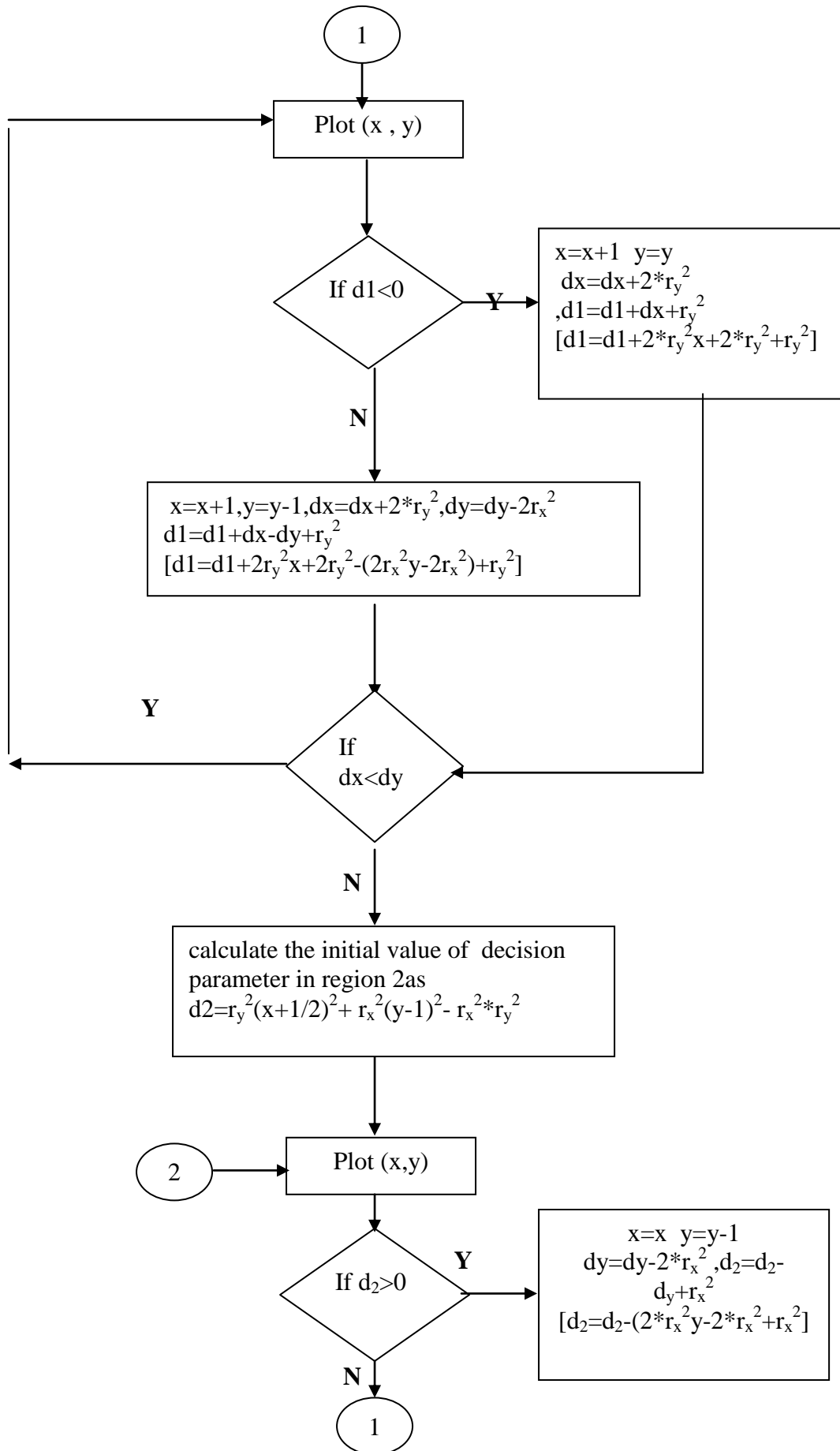
dy=dy-2*rx2
d2=d2-dy+rx2
[d2=d2-(2*rx2*y-2rx2)+rx2]
}
else
{
x=x+1
y=y-1
dy=dy-2*rx2
dx=dx+2*ry2
d2=d2+dx-dy+rx2
d2=[d2+2*ry2*x+2*ry2-(2*rx2*y-2*rx2)+ry2]
}
}while(y>0)

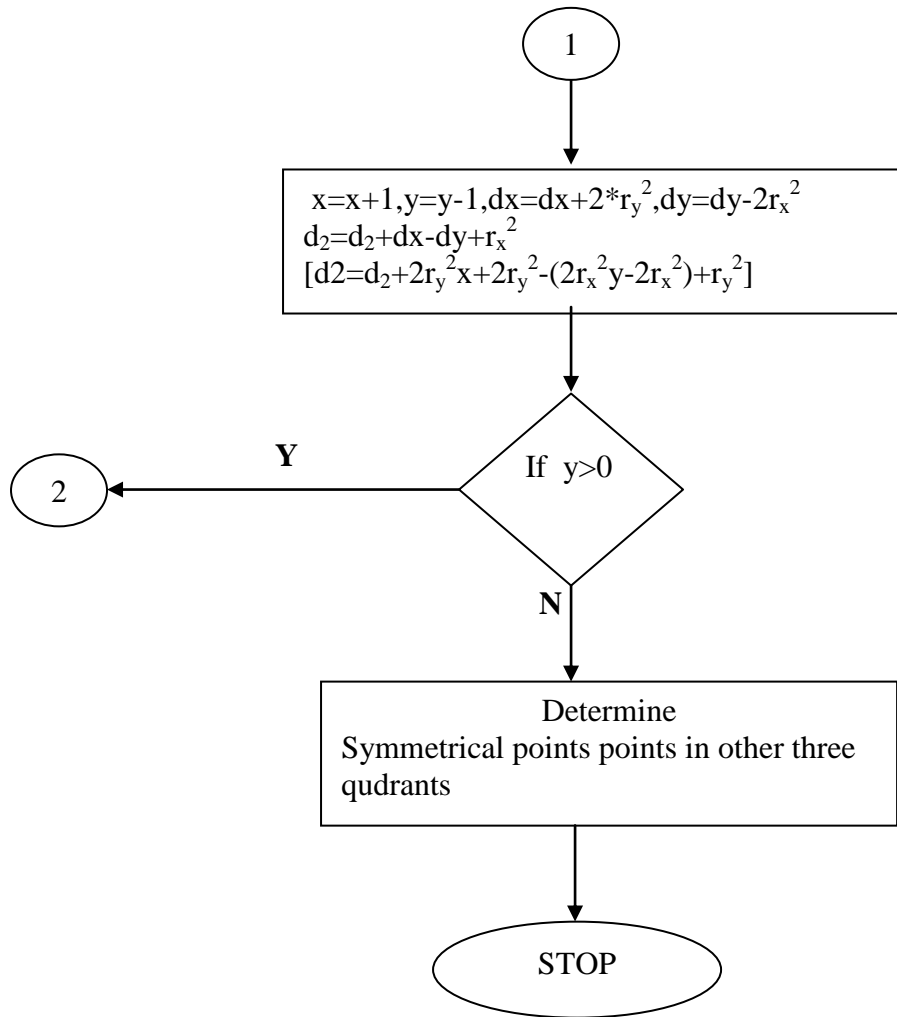
```

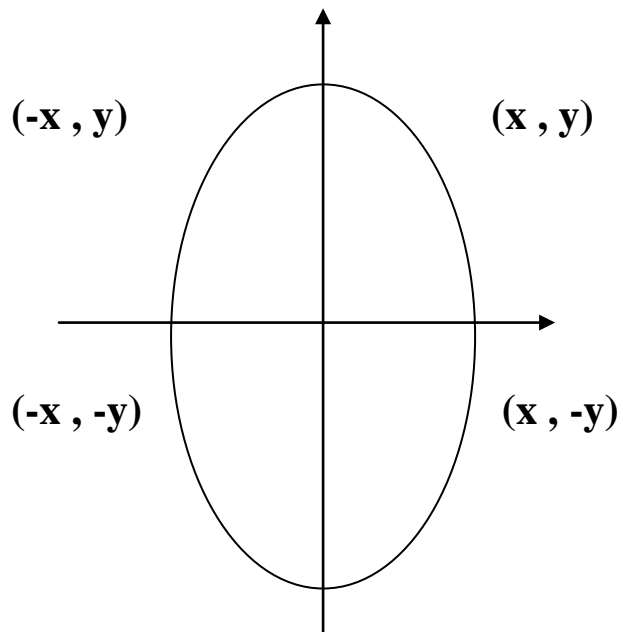
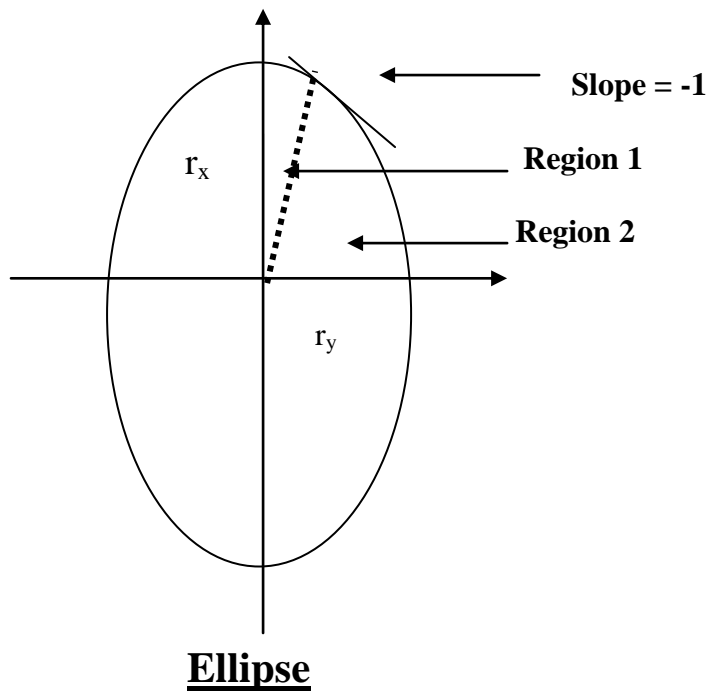
8. determine symmetrical points in other three quadrants
9. stop.

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**Four Way Symmetry of ellipse**

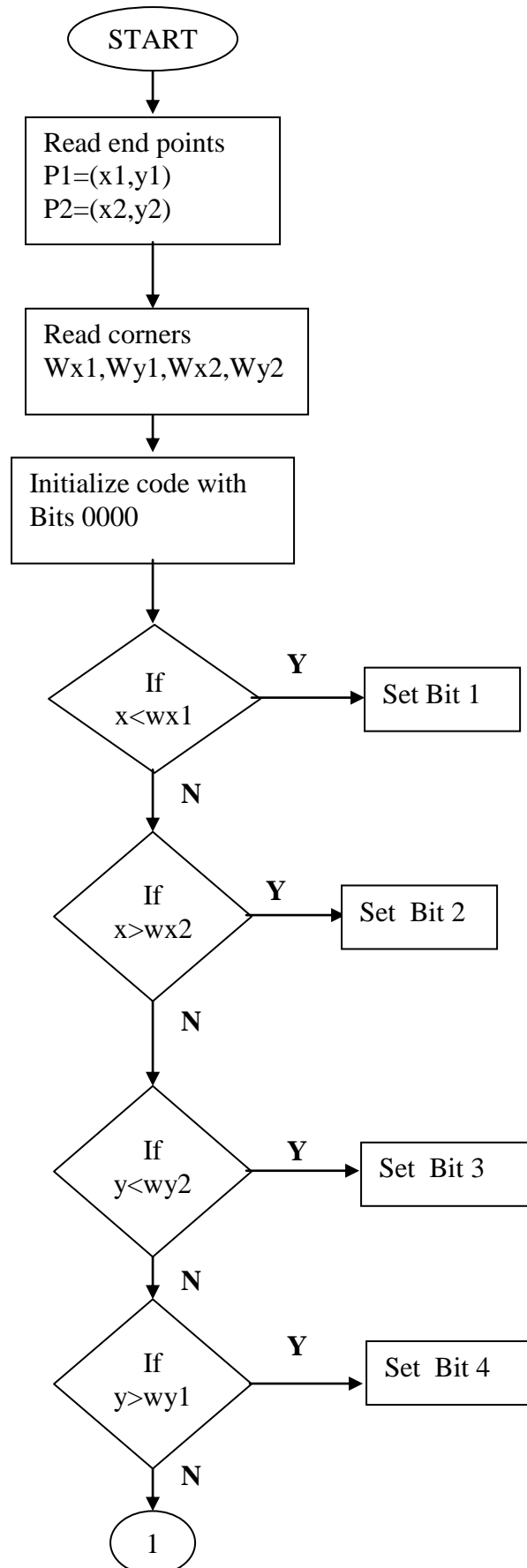


**ANSWER THE FOLLOWING QUESTION.**

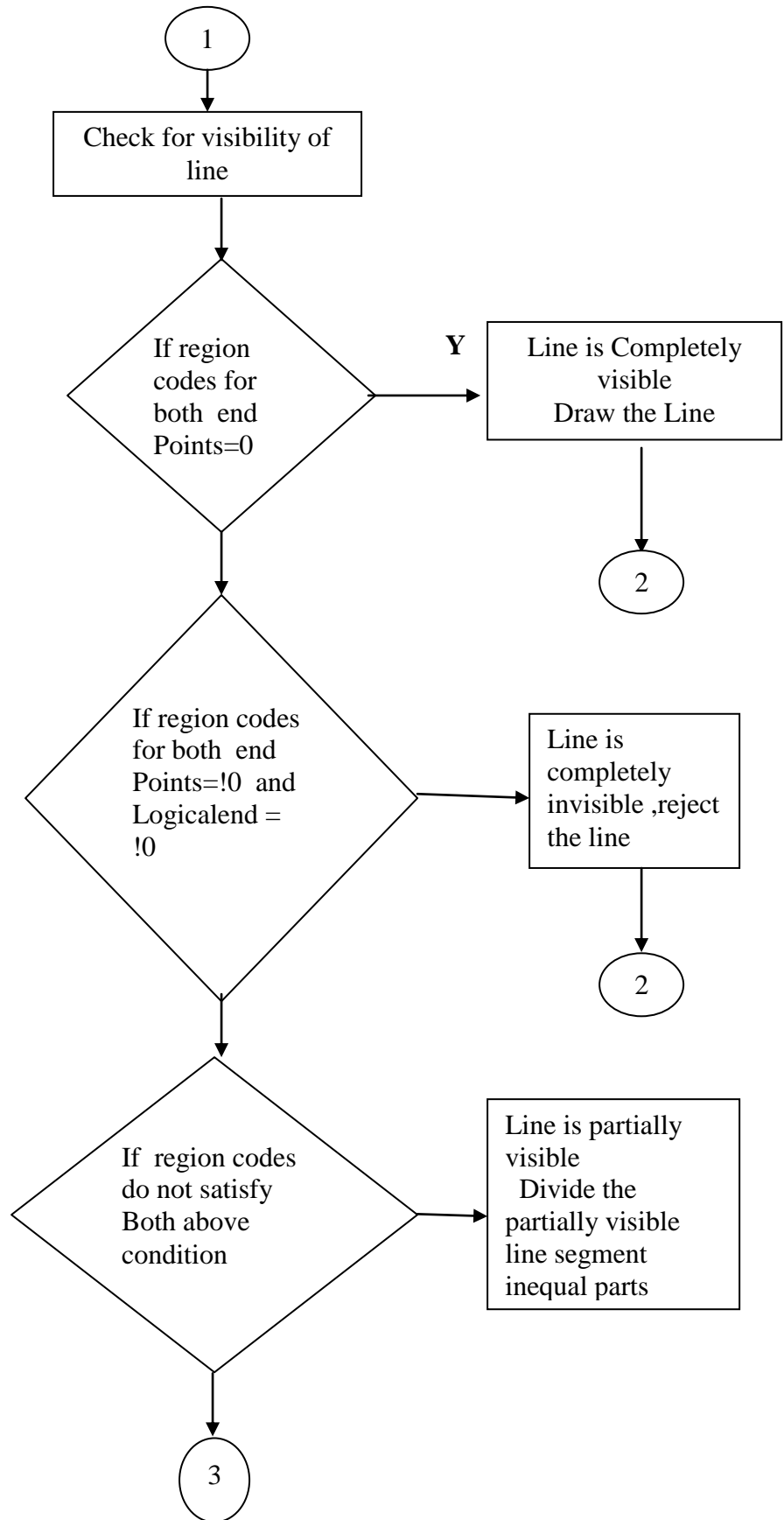
**Q.N.01-** WRITE "C" CODE PROGRAM FOR Mid point Ellipse **DRAWING METHOD?**

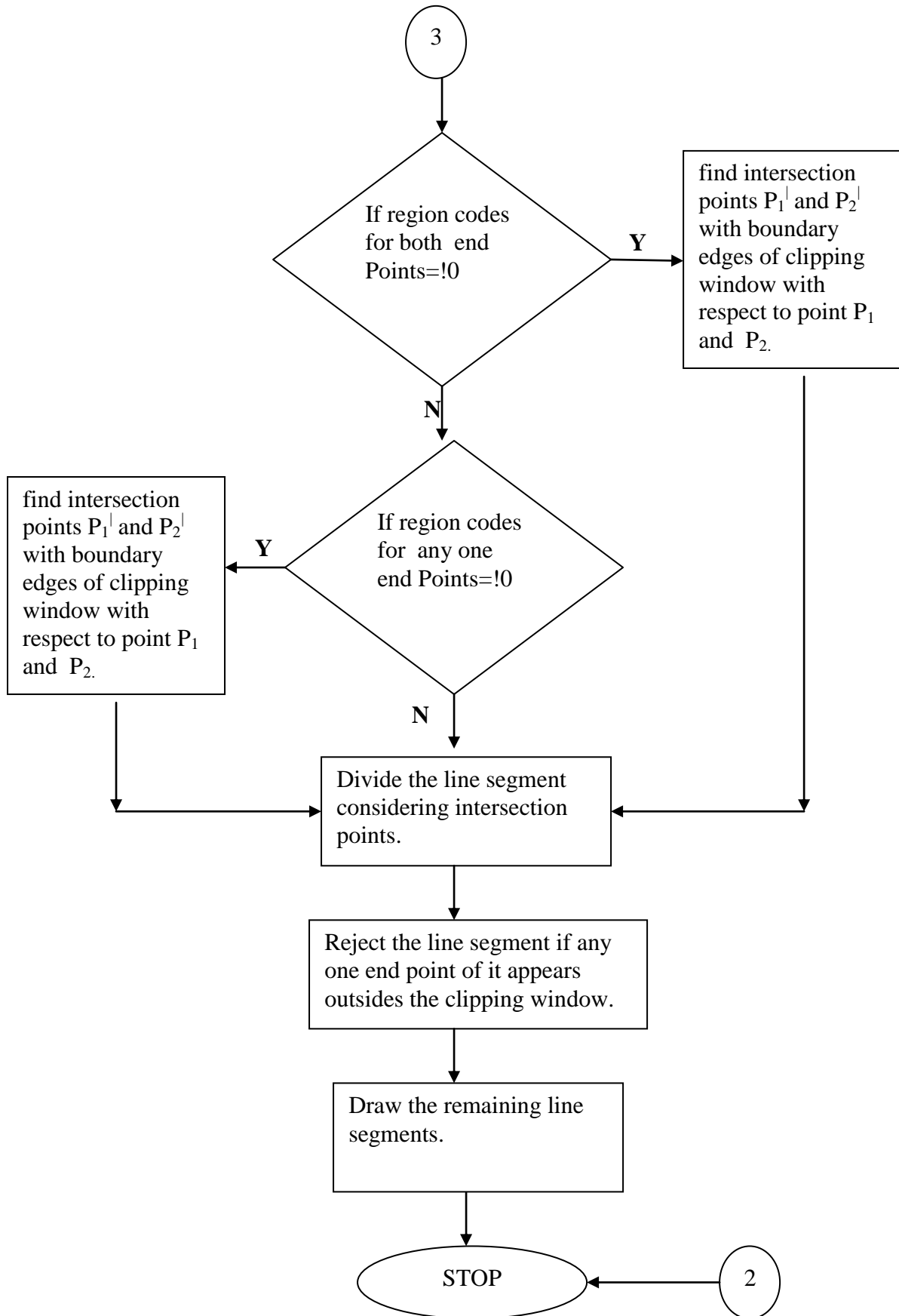
**Experiment No. 07****OBJECT****Cohen and Sutherland Subdivision Line****ALGORITHM**

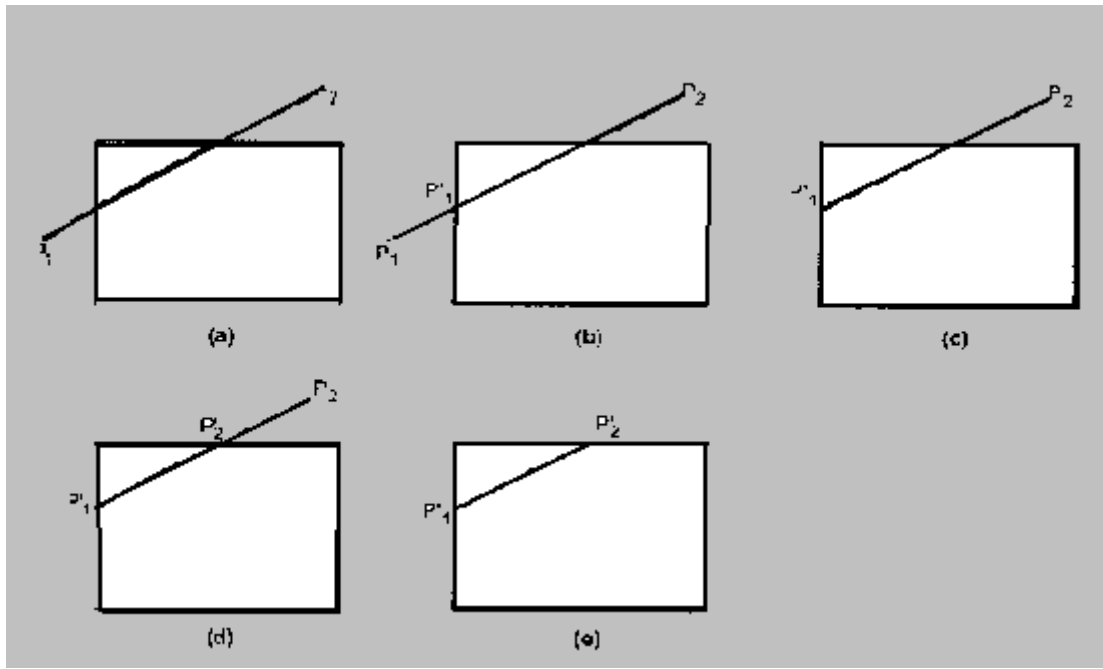
1. Read two end points of the line say  $P_1 (x_1, y_1)$ .
2. Read two corners (left-top and right-bottom) of the window, say  $(W_{x1}, W_{y1}$  and  $W_{x2}, W_{y2}$ ).
3. Assign the region codes for two endpoints  $P_1$  and  $P_2$  using following steps :  
 Initialize code with bits 0000  
 Set Bit 1 - if  $(x < W_{x1})$   
 Set Bit 2 - if  $(x > W_{x2})$   
 Set Bit 3 - if  $(y < W_{y1})$   
 Set Bit 4 - if  $(y > W_{y2})$
4. Check for visibility of line  $P_1 P_2$ 
  - a. If region codes for both endpoints  $P_1$  and  $P_2$  are zero then the line is completely visible. Hence draw the line and go to step 9.
  - b. If region codes for endpoints are not zero and the logical ending of them is also nonzero then the line is completely invisible, so reject the line and go to step 9
  - c. If region codes for two end point do not satisfy the conditions in 4a) and 4b) the line is partially visible.
5. Determine the intersecting edge of the clipping window by inspecting the region codes of two end points.
  - a. If region codes for both end points are non-zero, find intersection points  $P_1$  and  $P_2$  with boundary edges of clipping window with respect to it.
  - b. If region code for any one end point is non zero then find intersection points  $P_1$  or  $P_2$  with the boundary edge of the clipping window with respect to it.
6. Divide the line segment considering intersection points.
7. Reject the line segment if any one end point of it appears outside the clipping window.
8. Draw the remaining line segments.
9. Stop.

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### SUTHERLAND AND COHEN SUBDIVISION LINE CLIPPING



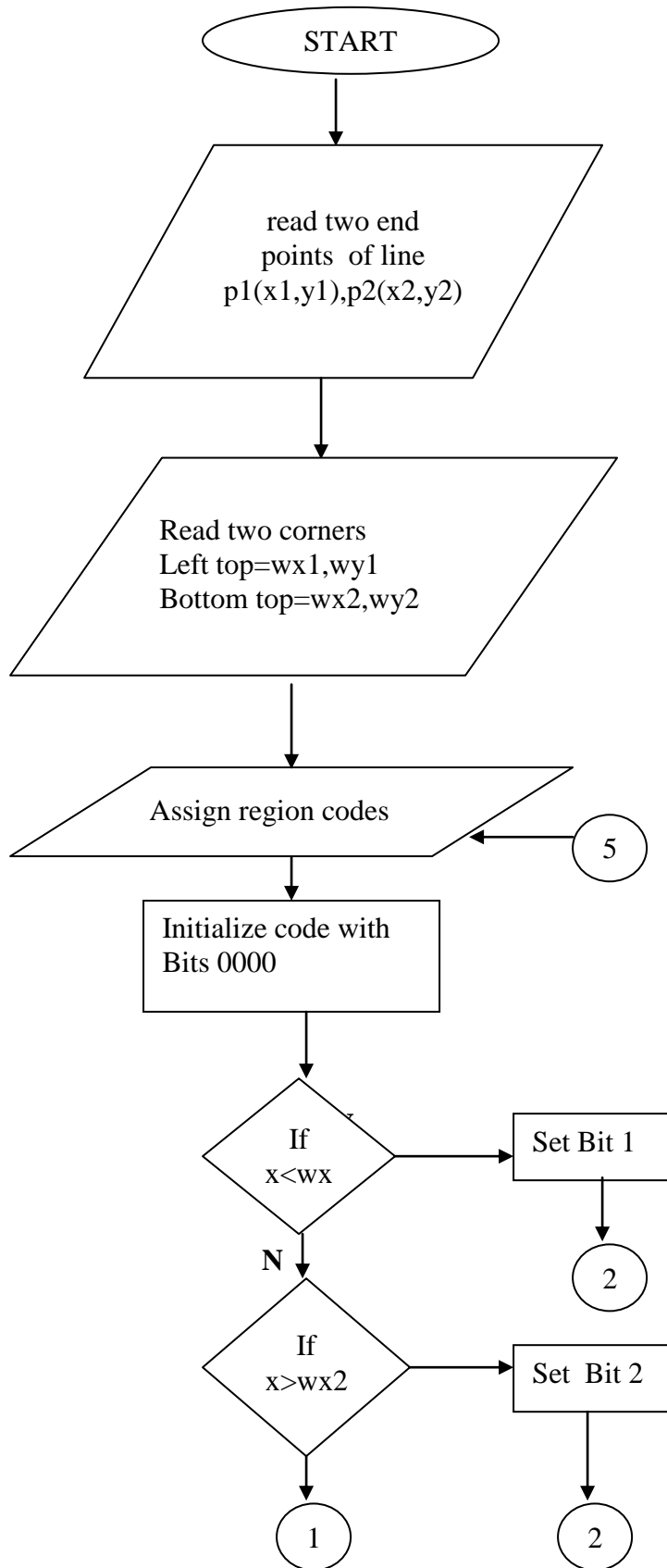
**ANSWER THE FOLLOWING QUESTION.**

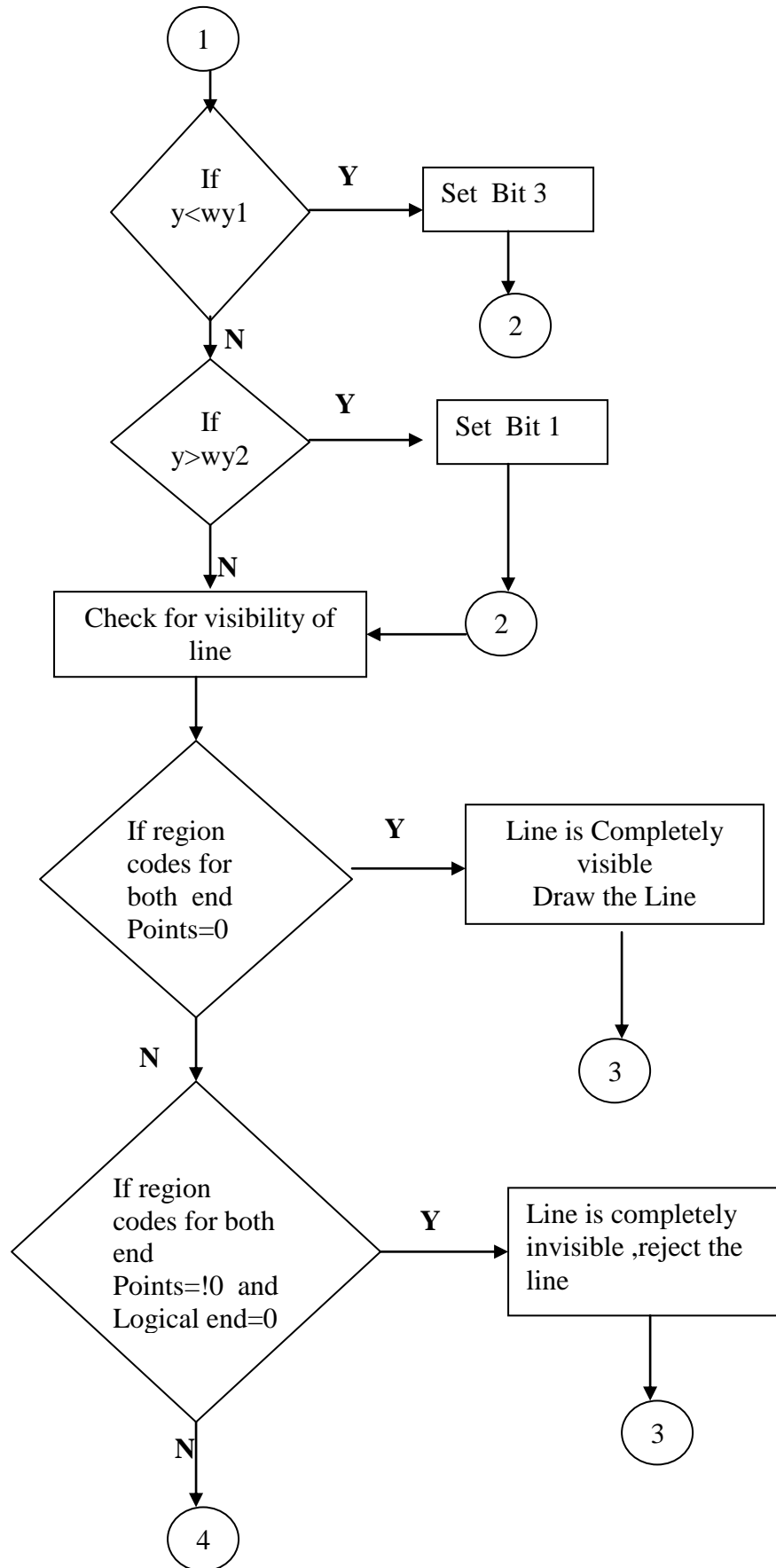
**Q.N.01-** WRITE "C" CODE PROGRAM FOR Cohen and Sutherland  
Subdivision Line Clipping Method?

**Experiment No 08****OBJECT****Midpoint Subdivision of line****ALGORITHM**

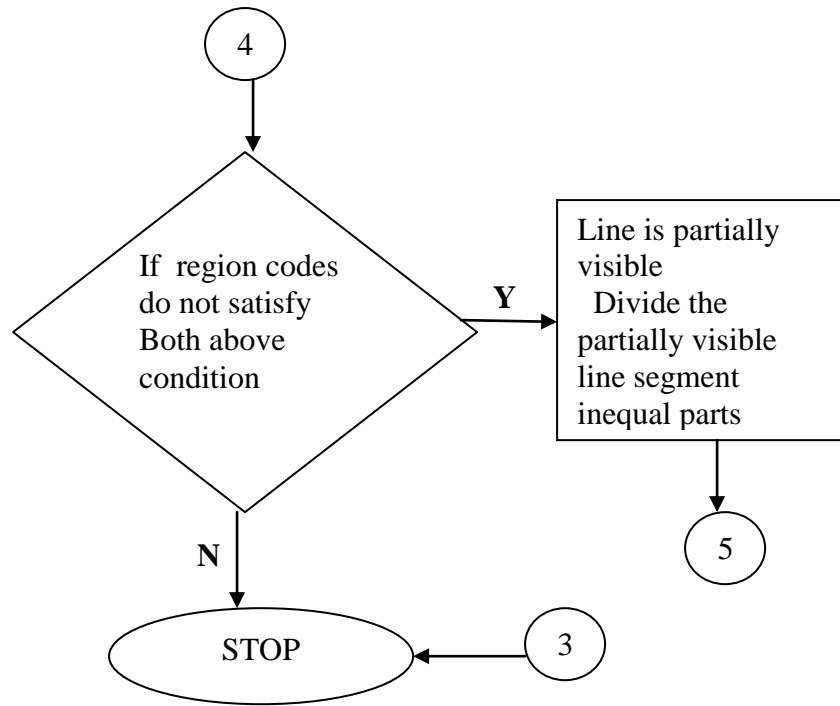
1. Read two endpoints of the line say  $P_1(x_1, y_1)$  and  $P_2(x_2, y_2)$ .
2. Read two corners (left-top and right-bottom) of the window, say  $(W_{x_1}, W_{y_1})$  and  $(W_{x_2}, W_{y_2})$ .
3. Assign region codes for two end points using following steps:
4. Initialize code with bits 0000  
Set Bit 1 – if  $(x < W_{x_1})$   
Set Bit 2 – if  $(x > W_{x_2})$   
Set Bit 3 – if  $(y < W_{y_1})$   
Set Bit 4 – if  $(y > W_{y_2})$
5. Check for visibility of line  
If region codes for both endpoints are zero then the line is completely visible. Hence draw the line and go to step 6.  
If region codes for two endpoints are not zero and the logical ending of them is also nonzero then the line is completely invisible, so reject the line and go to step 6.  
If region codes for two endpoints do not satisfy the conditions in 4a) and 4b) the line is partially visible.  
Divide the partially visible line segment in equal parts and repeat steps 3 through 5 for both subdivision line segments until you get completely visible and completely invisible line segments.
6. Stop.

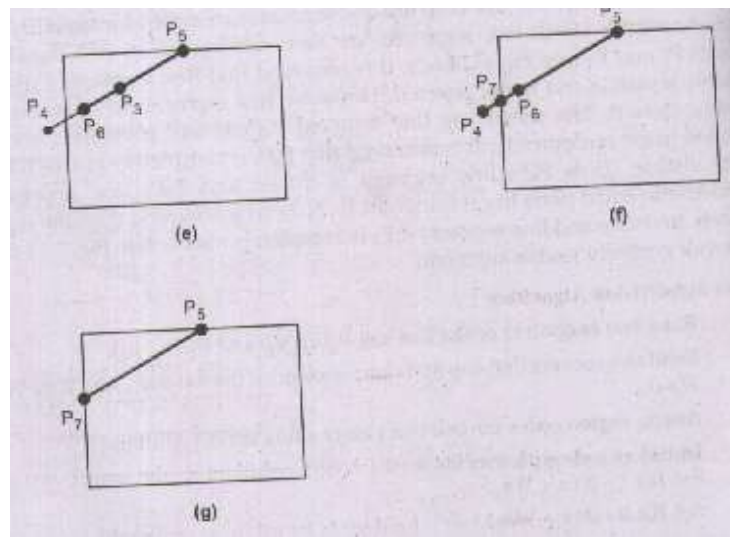
**FLOW CHART**











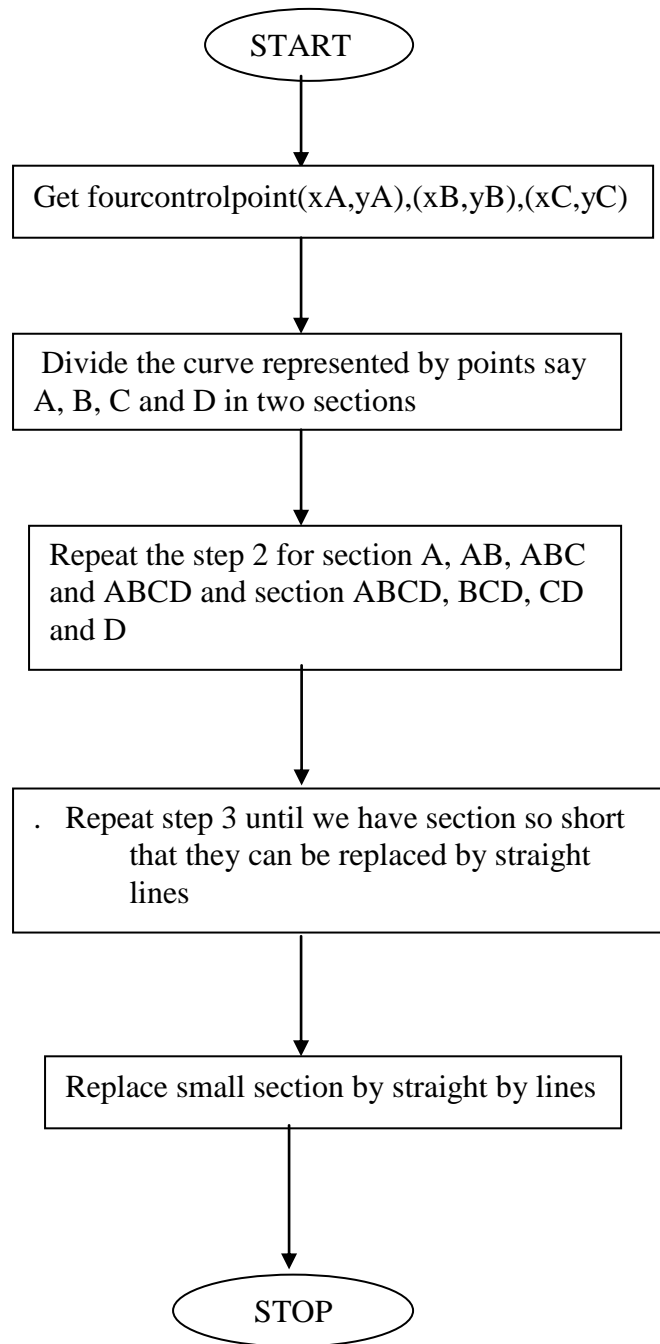
**Midpoint Subdivision of line**

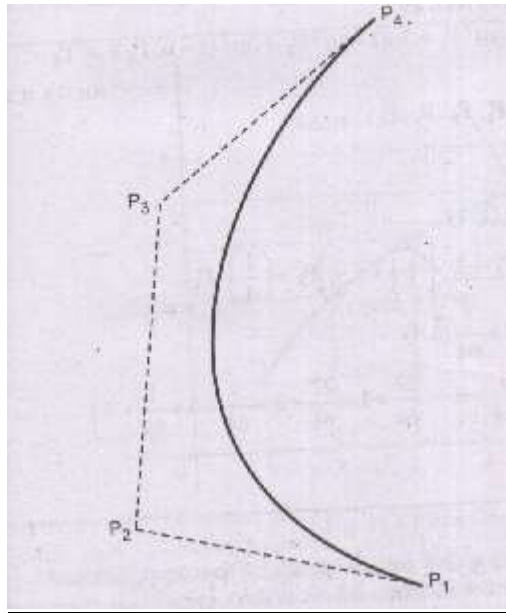
**ANSWER THE FOLLOWING QUESTION.**

**Q.N.01-** WRITE "C" CODE PROGRAM FOR Midpoint Subdivision of line clipping **DRAWING METHOD?**

**Experiment No:09****OBJECT****Bezier Curves****ALGORITHM**

1. Get four control points say  $A(x_A, y_A)$ ,  $B(x_B, y_B)$ ,  $C(x_C, y_C)$ ,  $D(x_D, y_D)$ .
2. Divide the curve represented by points say A, B, C and D in two sections.
 
$$\begin{aligned} x_{AB} &= (x_A+x_B)/2 \\ y_{AB} &= (y_A+y_B)/2 \\ x_{BC} &= (x_B+x_C)/2 \\ y_{BC} &= (y_B+y_C)/2 \\ x_{CD} &= (x_C+x_D)/2 \\ y_{CD} &= (y_C+y_D)/2 \\ x_{ABC} &= (x_{AB}+y_{BC})/2 \\ y_{ABC} &= (y_{AB}+y_{BC})/2 \\ x_{BCD} &= (x_{BC}+y_{CD})/2 \\ y_{BCD} &= (y_{BC}+y_{CD})/2 \\ x_{ABCD} &= (x_{ABC}+x_{BCD})/2 \\ y_{ABCD} &= (y_{ABC}+y_{BCD})/2 \end{aligned}$$
3. Repeat the step 2 for section A, AB, ABC and ABCD and section ABCD, BCD, CD and D.
4. Repeat step 3 until we have section so short that they can be replaced by straight lines.
5. Replace small section by straight by lines.
6. Stop.

**FLOW CHART**



**CUBIC BEZIER SPLINE**

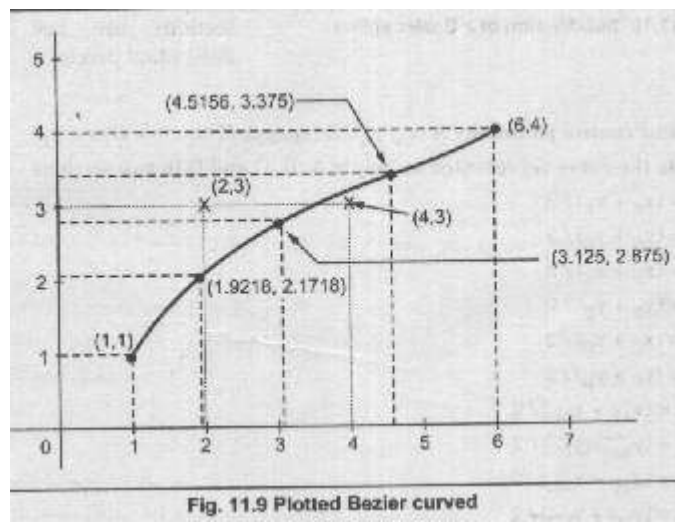
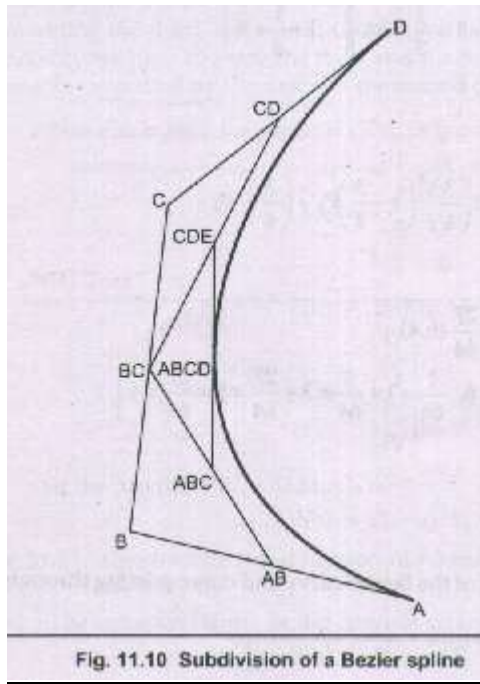


Fig. 11.9 Plotted Bezier curved



**ANSWER THE FOLLOWING QUESTION.**

**Q.N.01-** WRITE "C" CODE PROGRAM FOR Bezier Curve **DRAWING METHOD?**